

#### 45 Simple relationships among current vapor permeability indices of clothing with trapped-air layer

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The purpose of this paper is to analyze and compare four current indices and models of evaporative heat transfer through clothing layer.

The effective dry heat transfer coefficient ( $h'$ ) over the temperature gradient  $\Delta T = (T_{sk} - T_a)$  is  $DRY/\Delta T = hF_{cl}$  or  $1/(1_a + 1_{cl})$  where  $h$  is the sum of  $h_r$  and  $h_c$ ;  $1_a (=1/h)$  and  $1_{cl}$  are the thermal resistances of the outer-air and clothing respectively;  $F_{cl}$  is the Burton's thermal efficiency factor, that is, the ratio of the dry heat loss when clothed and when unclothed i.e.  $F_{cl} = 1_a/(1_a + 1_{cl}) = 1/(1 + h1_{cl})$ . Analogous to the dry heat exchange, the effective evaporative heat transfer coefficient ( $h_e$ ) of a fully wet surface over the vapor pressure gradient  $\Delta P = (P_{sk}^* - P_a)$  is  $EV/\Delta P = h_e F_{pcl}$  or  $1/(1_e + 1_{cle})$ , where  $h_e$  is the evaporative heat transfer coefficient of the outer-air layer;  $1_e (=1/h_e)$  and  $1_{cle}$  are the evaporative resistances of the outer-air and clothing respectively;  $F_{pcl}$  is the Nishi's permeation efficiency factor, namely, the ratio of the evaporative heat loss when clothed and when unclothed:  $F_{pcl} = 1_e/(1_e + 1_{cle}) = 1/(1 + h_e 1_{cle})$ .

Several vapor permeability indices were defined which related dry and evaporative heat transfer through clothing layer:

- 1) Lewis relation (1922) for the non-radiative air layer:  
 $L = h_e/h_c = 2.2 \text{ in } ^\circ K/\text{Torr}$
- 2) Permeation index for the outer-air layer (1984):  
 $1_a = h_e/2.2 \text{ h} = h_c/h$
- 3) Permeation index for the clothing layer (1983):  
 $1_{cl} = h_{cl}/2.2 \text{ h}_c = 1_{cl}/2.2 \text{ l}_{cle}$
- 4) Permeation index for the total clothing-air layer (Woodcock 1962):  
 $1_m = h'_e/2.2 \text{ h}' = h_e F_{pcl}/2.2 \text{ h} F_{cl} = (1_a + 1_{cl})/2.2 (1_e + 1_{cle})$

The simple relationships among the above permeability indices may be written as follows:

- 1)  $1/1_m = F_{cl}/1_a + (1 - F_{cl})/1_{cl}$
- 2)  $F_{pcl} = (1_a/1_e L) / ((1_a/1_e L) + (1_{cl}/1_{cle} L)) = 1/(1 + h_c 1_{cl}/1_{cle})$
- 3)  $(1/F_{cl} - 1) 1_a = (1/F_{pcl} - 1) 1_{cl}$
- 4)  $1_m = F_{pcl} 1_a + (1 - F_{pcl}) 1_{cl}$

Our definition of  $1_{cl}$ ,  $1_{cl}$  and  $1_{cle}$  all include the trapped-air between the skin surface and fabric. In a case of low activity, like sedentary, with one-layer clothing, the dry heat may be transferred through the trapped air by conduction and radiation, namely, the effective thermal resistance of clothing is:  $1_{cl} = 1^*_{cl} + 1_{at}$ , where  $1^*_{cl}$  and  $1_{at}$  ( $=1/(h_r + h_{ct})$ ) are the intrinsic resistances of fabric itself and the trapped-air respectively. Similarly, the effective evaporative resistance of clothing is:  $1_{cle} = 1^*_{cle} + 1_{et}$ , where  $1^*_{cle}$  and  $1_{et}$  are the evaporative resistances of fabric itself and the trapped-air respectively. Introducing new permeation indices  $i^*_{cl}$  and  $i_{at}$ , the effective permeation index ( $i_{cl}$ ) can be expressed as the average of  $i^*_{cl}$  and  $i_{at}$ , weighted by new efficiency factors  $F_{at}$  and  $(1 - F_{at})$ :

$$1/i_{cl} = F_{at} i^*_{cl} + (1 - F_{at}) i_{at}$$

where  $i^*_{cl} = 1^*_{cl}/1_e L$ ,  $i_{at} = 1_{at}/1_e L = h_{ct}/(h_{ct} + h_r)$  and  $F_{at}$  is the thermal efficiency factor of the trapped-air:

$$F_{at} = 1^*_{cl}/1_{cl} = 1^*_{cl}/(1^*_{cl} + 1_{at})$$